



# Soliton fiber laser & Soliton wave in optical fiber: a literature review

Mohammad Bagher Askari<sup>1</sup>, Fatemeh Ahmadi<sup>2</sup>

1. Department of Physics Science, Islamic Azad University, North Tehran Branch, Iran.
2. Faculty of Physics, ShahidRejaee Teacher Training University, Tehran, Iran.

Soliton is the only stable shape of the pulse at fiber with dispersion and nonlinear features. This feature is because that pulse width is between 1- 50 ps and power (mW 10 ~ 1). In this article, a complete overview of the studies which was done about soliton fiber lasers and the soliton wave propagation in an optical fiber was discussed.

## 1-Soliton Fiber Laser.

In 2010 H. Zhan et al. reviewed stable dark solitons [1] in an all normal dispersion fiber laser. They found experimentally that dark soliton formation is a generic feature of the fiber laser under strong continuous wave (CW) emission. However, only under appropriate pump strength and negative cavity feedback, stable single or multiple dark soliton could be achieved. Furthermore, they show that the features of the observed dark solitons could be well understood based on the nonlinear Schrödinger equation (NLSE). They proved experimentally that operating the laser in the negative cavity feedback regime, dark solitons could be automatically formed in the cavity, and under appropriate pump strength and negative cavity feedback, stable single or multiple dark soliton emission could also be obtained. Moreover, they found that the observed dark soliton features could be well understood based on the NLS.

In the same year, L.M. Zhao et al. reported on the experimental observation of dip-type spectral sidebands on the soliton spectra of a passively mode locked fiber laser [2]. We point out that the formation of the dip sidebands is due to a four-wave-mixing type of parametric process between the soliton and dispersive waves induced by the periodic soliton parameter variation in the laser cavity. Numerical simulations have well reproduced the experimental results.

Also in 2012 Sergey K. Turitsyn et al. [3] discussed in the Nonlinear systems with periodic variations of nonlinearity and/or dispersion occur in a variety of physical problems and engineering applications. The mathematical concept of dispersion managed solitons already has made an impact on the development of fibre communications, optical signal processing and laser science. We overview here the field of the dispersion managed solitons starting from mathematical theories of Hamiltonian and dissipative systems and then discuss recent advances in practical implementation of this concept in fibre-optics and lasers.

In 2013 Junsong Peng [4], et al. in an article entitled High-energy all-fiber soliton laser employing a chirped fiber Bragg grating stated that they presented an all-fiber self-starting high-energy soliton laser based on a chirped fiber Bragg grating (CFBG). The oscillator is mode-locked by nonlinear polarization rotation (NPR). As the net dispersion is greatly increased by the CFBG, the pulse energy can be increased correspondingly. The single pulse energy is 4.8 nJ, and the pulse duration is 4.4 ps with a repetition rate of 16.6 MHz.

## 2-Soliton wave in optical fibers

Optical solitons in fibers are good examples of how deep an absolute mathematical concept in transfer information technology. One of the most characteristic features of the mentioned waves is the stability of them. The stability of solitons makes the long distance transmission possible without using guide waves. Today, one of the most important problems in telecommunication systems is achievement to optical compression pulses. One of the main problems in optical systems is deformation and overspread pulse during the propagation path, soliton pulses have

the capacity for balance the dynamic between nonlinearity and dispersion effects in fiber and in this way they can pass low dissipation and relatively long paths without deformation.

In 2008 Padma K. Shukla and Mattias Marklund [5] in an article entitled Statistical description of short pulses in long optical fibers: Effects of nonlocality, stated that they present a statistical description of the propagation of short pulses in long optical fibers, taking into account the Kerr and nonlocal nonlinearities on an equal footing. They use the Wigner approach on the modified nonlinear Schrödinger equation to obtain a wave kinetic equation and a nonlinear dispersion relation. The latter exhibit that the optical pulse decoherence reduces the growth rate of the modulational instability, and thereby contribute to the nonlinear stability of the pulses in long optical fibers. It is also found that the interaction between spectral broadening and nonlocality tends to extend the instability region. To summarize, they have presented an investigation of the modulational instability of incoherent optical pulses in a nonlinear optical medium that contains the Kerr and higher order nonlocal nonlinearities on an equal footing. By using the Wigner transform, they have derived a wave kinetic equation for incoherent pulses from the generalized nonlinear Schrödinger equation. The wave kinetic equation is further exploited to obtain a nonlinear dispersion relation, which exhibits new features of the modulational instability. They found that the decoherence of the optical pulses reduce the modulational instability growth rate due to a spatial damping caused by the broad optical pulse spectrum. However, the combined effect of a random phase and a non-local nonlinearity is to extend the instability region as compared to the case of a monochromatic spectrum. Thus, the results thus contribute to the nonlinear stability of incoherent optical pulses in long optical fibers.

In 2009 Lei Da-Jun DONG Hui, et al [6] studied the Generation of Efficient Dispersive Waves in Photonic Crystal Fibers. The study states that based on the generalized nonlinear Schrödinger equation, they investigate efficient dispersive wave (DW) generation in a photonic crystal fiber (PCF) by numerical simulation and discuss a way to control DW generation by using an initial input pulse chirp. It was shown that efficient red-shifted DW generation can be obtained in a PCF with negative dispersion slopes. The energy contained in the DWs was considerably decreased for both positively and negatively chirped pulses at the fiber output. This provides us with an opportunity to conveniently and efficiently manipulate the DW generation by controlling the pre-chirp of the soliton. Moreover, they also show that for higher-order dispersion terms play little part in deciding the evolution of DWs.

In conclusion, they have numerically investigated the propagation of fundamental solitons in PCFs with a negative dispersion slope based on the NLSE. Simulation results show that the efficiency of energy conversion from the soliton to the DW is very high. The initial chirp provides us with the opportunity to conveniently and efficiently control the energy transfer process. The efficient transfer of laser energy to new wavelengths therefore has high potential in many applications.

The survey of Dark solitons in optical fiber [7] with inhomogeneous effects in 2010 by M. Idrish Miah was done. This review summarizes the work and results that will follow.

They study the nonlinear wave propagation in an inhomogeneous optical fiber core in the normal dispersive regime. In order to include the inhomogeneous physical effects, the nonlinear Schrödinger equation (NLSE), which governs the solitary pulse propagation in optical fiber, is modified by adding terms for phase modulation and power gain or loss. The modified NLSEs are bilinearized and exact dark soliton solutions are obtained.

Conclusions they have considered the more general case of inhomogeneities in fiber core medium. They had modified the NLSE in order to include phase modulation and fiber gain and loss or damping effects. The modified NLSE governs the nonlinear pulse propagation in an inhomogeneous fiber system with fiber gain (loss) where the effects due to fiber gain (loss) and chirping of the pulse exactly balance each other. The complete integrability conditions have been derived for both gain and loss case and the modified NLSEs in the anomalous dispersive regime have been exactly solved to construct dark soliton solutions. They found that the depth of the soliton is increased (decreased) for gain (loss) as it propagates along the fiber. The pulse width was also found to be

compressed (broadened) in propagation with fiber gain(loss) such that the area of the pulse envelope remains conserved, as found for bright solitons in the anomalous dispersive regime.

In the same year, Bright and dark solitons studied in the normal dispersion regime of inhomogeneous optical fibers: Soliton interaction and soliton control by Wen-Jun Liu et al [8].

Symbolically investigated in the paper was a nonlinear Schrödinger equation with the varying dispersion and nonlinearity for the propagation of optical pulses in the normal dispersion regime of inhomogeneous optical fibers. With the aid of the Hirota method, analytic one- and two-soliton solutions were obtained. Relevant properties of physical and optical interest were illustrated. Different from the previous results, both the bright and dark solitons were hereby derived in the normal dispersion regime of the inhomogeneous optical fibers. Moreover, different dispersion profiles of the dispersion-decreasing fibers can be used to realize the soliton control. Finally, soliton interaction was discussed with the soliton control confirmed to have no influence on the interaction. The results might be of certain value for the study of the signal generator and soliton control. The dark soliton can be controlled by the DDF. Bright-dark and bright-bright solitons have been observed in the normal dispersion regime of the optical fibers, which might be of certain value to the studies on the signal generator. To test and verify the result, they had shown that the bright and dark solitons in the multi-soliton communication systems can also be controlled, and that the soliton control method has no influence on the mutual interaction. Their results indicate that a new soliton control technique might be developed

And also Qing-Chun Zhou, Xiao-Xiang Zeng [9] they investigate about Approximation theory for unequal amplitude soliton pairs in nonlinear optical fibers. In this article The equivalent-particle approach was used to investigate the interaction of two unequal-amplitude solitons propagating in nonlinear fibers by regarding the interaction as a perturbation. The Newtonian equations for the motion of solitons are given. Results showed that the interaction of an unequal-amplitude soliton pair can be approximated as the product of a local interaction factor dependent on the propagation distance and a nonlocal interaction factor independent of the propagation distance. The local factor forces soliton interaction to alternate between the attractive and the repulsive, and, on a large scale, the average of this character markedly reduces the interaction of the unequal-amplitude solitons and the result of this study showed they had studied the interaction of two solitons propagating in a nonlinear optical fiber. The Newton equation for the first order of perturbation for the soliton is derived by regarding the soliton as an effective particle and using the perturbation method They compared the interaction of two equal amplitude solitons and that of two unequal amplitude solitons, and found that the interaction contributions are composed of a local factor related to propagation distance and a global factor connected with soliton separation Compared with the equal amplitude case, two amplitude difference of a soliton pair can reduce or increase the nonlocal interaction factor, depending on the separation of the solitons. The well-known overall reduction effect of soliton interaction between two unequal amplitude results from the average of local phase related factor.

Among the articles that were published in 2011 in the context of Study of the gain saturation effect on the propagation of dark soliton in  $\text{Er}^{+3}$ -doped,  $\text{Ga}_5\text{Ge}_{20}\text{Sb}_{10}\text{S}_{65}$  chalcogenide fiber amplifier can be noted by Z. Tahma. M. Hatami [10]. In this article They study the effect of gain saturation on the propagation of fundamental dark soliton in a nonlinear, dispersive and amplifying medium. The  $\text{Er}^{+3}$ -doped,  $\text{Ga}_5\text{Ge}_{20}\text{Sb}_{10}\text{S}_{65}$  chalcogenide glass was used for dark and erbium doped silicon glass for bright solitons. The numerical simulations show that dark soliton doesn't split to subpulses unlike bright soliton and also the dark soliton is more stable in the presence of gain saturation and gain dispersion effects. So the chalcogenide glasses were suitable for designing all optical devices.

Amarendra K. Sarma [11] also studied Vector soliton switching in a fiber nonlinear directional coupler this studied reports a detailed numerical study of soliton switching in a high as well as low birefringent nonlinear coupler. It was shown that by controlling the polarization angle one can have nearly 100% transmission with excellent switching characteristics. It was shown that soliton remains stable during its propagation inside the coupler. However it was observed that high birefringent coupler exhibits relatively better soliton stability. They show that the coupler could be used as a soliton switch even at an input peak power less than the critical power, the power at which 50-50 power sharing takes place between the two cores, just by a judicious choice of the polarization

angle. In 2012 Dowluru Ravi Kumar & B. Prabhakara Rao [12] Their research on soliton interaction in birefringent optical fibers: Effects of nonlinear gain devices stated that it presents the influences of polarization mode dispersion (PMD) on the performance of soliton transmission system in birefringent fibers. Dispersive waves generated in single mode fibers due to PMD degrade the soliton transmission system in two aspects. First, solitons continuously lose their energy, thus cause enhancement in pulse width. Second, the dispersive waves interact with neighboring pulses and cause distortion in a sequence of pulses. Both these effects reduce the effective bit-rate and degrade the performance of high-speed optical transmission systems. Optical fibers with large group velocity dispersion (GVD) have less dispersive waves and are relatively robust to pulse broadening, but it enhances the interaction between the adjacent pulses. They analyzed these effects of PMD on soliton propagation in birefringent fibers and introduced nonlinear gain devices with perturbation terms proportional to second and fourth power of amplitudes to reduce these effects. They proposed Symmetric Split-Step Fourier Method to solve the coupled nonlinear Schrödinger equations (CNLSE); which yields better results over the existing Split-Step Fourier Method.

### Discussion

Optical soliton is setting the standard for advanced transmissions. Today, one of the most important problems in telecommunication systems, is to achieve optical pulse compression. One of the main problems in optical systems are deformation and widening pulse along the propagation path, two adjacent pulses in a pulse train may interfere with each other. Soliton pulses are capable of, creating a dynamic balance between nonlinearity and dispersion effects in fiber, and low dissipation paths are relatively long distances without deformation. Soliton pulses in optical pulse that has a specific envelope which obtained from nonlinear Schrödinger equations. Whereas, some factors such as loss fiber, nonlinear effects and so on can cause deformation femtosecond soliton pulses.

More research work is needed to omit some adverse effects such as loss fiber, nonlinear effects and pulse width to promote transformation of data.

### Reference

- 1- Dark Soliton Fiber Laser H. Zhang, D. Y. Tang, L. M. Zhao, and X. Wu 2010
- 2- Observation of dip-type sidebands in a soliton fiber laser L.M. Zhao, D.Y. Tang, H. Zhang, C. Lu, H.Y. Tam
- 3- Dispersion-managed solitons in fibre systems and lasers Sergei K. Turitsyn-Brandon G. Bale, Mikhail P. Fedoruk 2012
- 4- High-energy all-fiber soliton laser employing a chirped fiber Bragg grating Junsong Peng, Li Zhan, Zhaochang Gu, Shouyu Luo 2013
- 5- Statistical description of short pulses in long optical fibers: Effects of nonlocality Padma K. Shukla and Mattias Marklund 2008
- 6- Generation of Efficient Dispersive Waves in Photonic Crystal Fibers \* LEI Da-Jun DONG Hui, YANG Hua, WEN Shuang-Chun, 2009
- 7- M. Idrish Miah Dark solitons in optical fiber with inhomogeneous effects 2010
- 8- Bright and dark solitons in the normal dispersion regime of inhomogeneous optical fibers: Soliton interaction and soliton control Wen-Jun Liu a, Bo Tian a,b,c,, Tao Xu a, Kun Sun a, Yan Jiang a 2010
- 9- Approximation theory for unequal amplitude soliton pairs in nonlinear optical fibers Qing-Chun Zhou, Xiao-Xiang Zeng 2010
- 10- Study of the gain saturation effect on the propagation of dark soliton in Er<sup>3+</sup>-doped, Ga<sub>5</sub>Ge<sub>20</sub>Sb<sub>10</sub>S<sub>65</sub> chalcogenide fiber amplifier Z. Tahma, M. Hatami 2011
- 11- Vector soliton switching in a fiber nonlinear directional coupler Amarendra K. Sarma 2012
- 12- Soliton interaction in birefringent optical fibers: Effects of nonlinear gain devices Dowluru Ravi Kumar B. Prabhakara Rao 2012